

by weight

Take 100g air = 80g N₂ + 20g O₂

deal with pure
STP

STP
O₂
20g

STP
N₂
80g

$$= \frac{80 \text{ mole } N_2}{28} + \frac{20 \text{ mole } O_2}{32}$$

$$V = \frac{80}{28} \cdot 22.4 + \frac{20}{32} \cdot 22.4$$

$$(2.857 + .625) \cdot 22.4 = 3.482 \cdot 22.4$$

$$\therefore V = 78.0 \text{ litres}$$

$$78000 \text{ ml} = A \left(\frac{80}{28} \cdot 22.4 + \frac{20}{32} \cdot 22.4 \right)$$

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$$A(40 + 10)$$

$$= 50A$$

One mole
of air
mixture

$$\frac{30}{18000}$$

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$$18000 = 18000 \cdot A$$

$$\text{one mole of air} =$$

Notes of lecture
in detail

$$\frac{100}{18000} \times 60 \times 1000$$

$$= \frac{100}{18000} \times 60000 = 3.33 \times 1000 = 3330$$

3.2

1.4 / *Handwritten note*

sample of air = 22400 mil $6.02 \times 10^{23} \times 19$
at 18 wt% $6.02 \times 10^{23} \times 10$

air $19.4 = 6.02 \times 10^{23}$
 $\frac{22400}{10} \times 6.02 \times 10^{23}$ 1.16×10^{-3}
H₂O

SCRIPPS

H₂O = 1862
air

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$$\left[\frac{N}{\text{sec}} \right] = 1.75 \times 10^5 \left[\frac{\text{meV} \cdot \text{flux} \cdot \text{Med} / \text{sec} / \text{cm}^2}{\text{meV}} \right]$$

$$\left[\frac{\text{MeV}}{\text{hr}} \right] = (1000)(3600) \cdot 5 \times 10^{-5} \left[\frac{\text{energy at rate} / \text{sec} / \text{cm}^2}{\text{meV}} \right]$$

$$= 52.3$$

Now it can be shown that the rates of the electrons at work in liquid water to the electron range, in general, is about 866

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Imagine now a bubble of air absorbing from a hole in a wall flux energy at the rate of 1 med/sec/cm² or the equivalent rate 52.3 meV/hr.

A perfect "rometer" would read directly 52.3 scale units. The realising meter would read 52.3 C = (52.3)(523) = 27.4 scale units of the meter was 7th resolution.

Now let us imagine pouring water into the bubble while holding the flux constant. The energy would now be absorbed as if there were no electrons present. The water would give about 866 meV/sec/cm², or the equivalent of 866 x 52.3 meV/hr. However, the meter would still read 27.4 units in scale units/hr.

There are considerable apparent to read scale units under special conditions, for 7th resolution.

Considering the number of units per unit, etc., etc.

$$[Mass/area] = 1/317 = .0317 [mils/yr]$$

the latter being the opposite of what would be the case of the probe.

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Now since we infer absorption is uniform, the flux intensity everywhere is uniform, and the activity everywhere is uniform, and the rate of absorption per unit volume per unit time, if the accessible density is numerically equal to the rate of absorption per unit volume per unit time,

Thus we can put in this special case, the activity also,

$$[mass/area] = .0317 [mils/yr]$$